

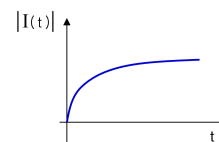
ERRATA –CORRIGE del libro
PROBLEMI DI FISICA GENERALE - Elettromagnetismo e Ottica
di F. Porto – G. Lanzalone – I. Lombardo, EdiSES 2014
Aggiornata al 05/12/2014

Prob.	Pag.	Riga	CORREZIONE
1.1	6	14	$x = \left(\frac{(2.4 \times 10^{-8}) \times 0.2}{2\pi \times 8.85 \times 10^{-12} \times 10^{\boxed{-2}} \times 9.8} \right)^{1/3} = (2.11 \times 10^{\boxed{-3}})^{1/3} = \boxed{2.77} \times 10^{-2} m$
1.2	7	9	$q^2 - 5 \times 10^{-5} q + \boxed{0.444} \times 10^{-9} = 0$
1.5	12	7	$= 9 \times 10^9 \times \frac{2 \times 10^{-6} \times (-1)}{10^{3/2}} = \boxed{-} 0.57 \times 10^3 V / m$
1.5	12	15	$E(P) = \dots = \sqrt{(\boxed{-} 0.57)^2 + (-1.92)^2 + (3.6)^2} = \dots$
1.6	14	11	$ \vec{R} = \dots = \sqrt{49.7 + 36 \times 10^{-6}} = \dots$
1.7	15	11	$E(P_3) = \frac{\sigma}{\boxed{2} \epsilon_0} - \dots = \boxed{-} \frac{2 \times 4.43 \times 10^{-8}}{8.85 \times 10^{-12}} \cong \boxed{-} 10^4 V / m$
1.7	15	15	$E(P_3) = \boxed{-} 10^4 V / m$
1.8	16	8	$dq = \boxed{\lambda} ds = \boxed{\lambda} R d\theta$
1.9	18	4	“... risultante $\boxed{\text{in}}$ P ...”
1.9	18	24	$E_x(P) = \dots = \frac{\boxed{kq}}{d(l+d)} = \dots$
1.9	18	25	$E(P) = \dots = \sqrt{2} \frac{\boxed{kq}}{d(l+d)} = \boxed{42.4} V / m$
1.12	22	8	$Q = \dots = \boxed{\frac{4}{5}} \pi \alpha R^{\boxed{3}}$
1.13	23	1	“ $\boxed{\text{Dentro}}$ una sfera di raggio ...”
1.16	27	1	“Nel $\boxed{\text{volume}}$ di una sfera $\boxed{\text{isolante}}$...”
1.17	28	13,14	$D(2R_0) = \dots = 8.33 \times 10^{-3} C / m^{\boxed{2}}$
1.18	29	1	“... esiste un campo $\boxed{\text{non}}$ uniforme ...”
1.20	32	8	“... della sfera $\boxed{\text{interna}}$ che è metallica ...”
1.20	32	16	“... della sfera $\boxed{\text{cava}}$ metallica, per cui ...”
1.20	32	22	$V_0 = \boxed{V(R)} = \frac{q}{4\pi\epsilon_0 R} + \text{cost.}$
1.21	33	3	“... essendo \boxed{a}, a, b costanti ...”
1.21	33	11, 12	“... da scegliere è quella di un $\boxed{\text{cilindro}}$ di raggio r e di lunghezza L coassiale al cilindro stesso. $\boxed{\text{L'elemento di volume del secondo integrale è quello di un mantello cilindrico di raggio } r, \text{ lunghezza } L \text{ e spessore } dr: dV = 2\pi r L dr}$ ”
1.22	36	9	$Q_{\text{int}} = \rho_0 \int_0^R (\boxed{3r + 4r^2}) \times 2\pi \ell \times r dr$
1.23	37	21	$E_2 = \boxed{125} N / C$
1.24	39	6	$\dots = \frac{4/3 \pi R^{\boxed{3}} \rho}{4\pi\epsilon_0 (r-a)} = \dots$
1.27	43	10	“... (vedi figura). $\boxed{\text{Per}}$ poter ...”
1.28	45	18	$\boxed{-} \Delta U_G - \Delta U_E = \Delta K$
1.28	46	1	$d^2 y / dt^2 = g - \boxed{qE / m}$
1.29	47	10	$\sigma = Q / \pi \boxed{R^2}$
1.29	47	19,20	“... lamina e inoltre, $\boxed{\text{per un punto dell'asse del disco, si ottiene:}}$ $V(d) = \frac{\sigma}{2\epsilon_0} \left[\sqrt{R^2 + d^2} - d \right] \approx \frac{\sigma R}{2\epsilon_0} - \frac{\sigma d}{2\epsilon_0} = V_0 - \frac{V_0 d}{R}.$ ”
1.29	47	21	“... la carica q sarà $\boxed{L = qV_0 d / R}$ e poiché ...”
1.29	47	24	$K \equiv E_C = \frac{1}{2} m v_d^2 = L = \frac{qV_0 d}{R} \rightarrow v_d = \sqrt{\frac{2qV_0 d}{mR}}$
1.31	50	11	$E_{C,\text{max}} = U_{\text{max}} = \frac{1}{2} \boxed{k} x_0^2 \text{ con } \boxed{k} = \omega^2 m$
1.32	52	14	$\boxed{\langle P \rangle = \frac{\mu_0 \omega^4}{12\pi c} q^2 d_0^2}$
1.33	54	4	$Q = \int_{\tau} \boxed{\rho} dV = \dots$
1.33	54	5	$Q = \dots = \pi \times 10^{-7} R^{\boxed{4}} = \dots$

1.36	58	2	$V = (3x + y^2 / x - 3 \sqrt{yz}) + 35$
1.37	60	1	“... nel volume cilindrico \boxed{V} ...”
1.37	60	4	“... ed essendo $\boxed{E^2}$ a simmetria cilindrica, ...”
1.39	62	17	$\Delta V = \dots = -\frac{\boxed{K}}{4\epsilon_0} \int_{r_A}^{r_B} r^2 dr = -\frac{\boxed{K}}{4\epsilon_0} \left(\frac{r_B^3}{3} - \frac{r_A^3}{3} \right)$
1.39	62	19	$\Delta V = V_B - V_A = -\frac{2 \times 10^{-3}}{35.44 \times 10^{-12}} \times 168 \times 10^{-9} = -9.48 V$
1.40	64	5	$\vec{E} = \dots = (18.15\hat{i} + 10.57\hat{j}) \times 10^3 V / m$
1.40	64	7	$E = \dots = \sqrt{(18.15)^2 + (10.57)^2} \times 10^3 = \dots$
1.42	66	7	$dq = \lambda \boxed{dx} = bx dx$
1.42	66	8	$dV = \dots = \boxed{k_0} b \frac{xdx}{(d+x)}$
1.43	67	15	“ E_r va <u>determinato</u> applicando ...”
1.46	72	9	$dV = k_0 \frac{dq}{\boxed{R}} = k_0 \frac{2\pi \boxed{\sigma} r dr}{\sqrt{r^2 + x^2}}$
1.46	72	14	$E(P) = -\frac{\partial V}{\partial x} = -2\pi k_0 \sigma \left[\frac{\boxed{x}}{\sqrt{x^2 + b^2}} - \frac{\boxed{x}}{\sqrt{x^2 + a^2}} \right] = \frac{x\sigma}{\boxed{2} \epsilon_0} \left[\frac{1}{\sqrt{x^2 + b^2}} - \frac{1}{\sqrt{x^2 + a^2}} \right]$
1.49	77	1	$W_E(r < R) = \int_{\tau} w d\tau = \int_0^R \frac{\epsilon}{2} \left(\frac{Qr}{4\pi \epsilon R^3} \right)^2 \times 4\pi r^2 dr =$
1.51	79	19	$V(3) = \frac{k_0 Q}{\sqrt{R^2 + x^2}} = \dots$
1.51	79	20	$W_{AB} = \boxed{q} [V(0) - V(3)] \approx \dots$
1.52	80	8	$\boxed{4\pi r^2 E} = \frac{1}{\epsilon_0} \int_0^r \rho d\tau = \frac{1}{\epsilon_0} \int_0^r \frac{\alpha}{r^2} \times 4\pi r^2 dr \rightarrow \dots$
1.52	80	9	$\boxed{4\pi r^2 E} = \frac{1}{\epsilon_0} \int_0^R \rho d\tau = \frac{1}{\epsilon_0} \int_0^R \frac{\alpha}{r^2} \times 4\pi r^2 dr \rightarrow \dots$
1.54	82	3	“... della sfera. Se <u>mediante un lungo filo conduttore</u> la sfera viene collegata con un'altra sfera metallica scarica <u>molto lontana</u> di volume τ_2 pari ad 1/8 di τ_1 , determinare...”
1.55	84	20	$\rightarrow \frac{Q^2}{8\pi\epsilon_0} \left(\frac{1}{a} - \frac{1}{r} - \frac{\boxed{f}}{2a} \right) = 0$
1.55	84	22	$\boxed{r} = \frac{2a}{2-f}$
1.57	87	15	$E(d/2) = \dots = \frac{218 \times 10^{-10}}{55.6 \times 10^{-12} \times 10^{-3}} = \dots$
1.59	89	10	“... i condensatori avranno <u>carica totale</u> Q' , e poiché ...”
1.60	91	11	$Q_\beta^* = \boxed{C_\beta^* \times V_{AC}} = C_x \times V_1$
1.60	91	13, 14	sostituire C con C_x
1.61	92	3	“... di rigidità dielettrica $\boxed{E_R}$.”
1.62	94	2-6	“... <u>del sistema sarà uguale al lavoro meccanico effettuato sul sistema $(-L)$ più il lavoro elettrico compiuto dal generatore (L_G) per mantenere costante la differenza di potenziale. Quindi $-L + L_G = -\Delta W = W_{E1} - W_{E2}$; ...”</u>
1.62	94	12	$\boxed{-L + L_G} = W_{E1} - W_{E2} = \dots$
1.62	94	14	$\boxed{-L + L_G} = \frac{\epsilon_0 S V^2}{2} \left(\frac{1}{x_1} - \frac{1}{x_2} \right)$
1.62	94	15	“ma $S = \frac{C_1 x_1}{\epsilon_0} = \frac{Q_1}{V} \frac{x_1}{\epsilon_0}$, ed inoltre $L_G = \int V dq = \int V^2 dC = 2 \times \frac{\epsilon_0 S V^2}{2} \left(\frac{1}{x_1} - \frac{1}{x_2} \right)$ per cui in definitiva si ottiene:”
1.63	95	13, 14	$C_{tot} = 8.85 \times 10^{-12} \times \dots = 19.45 pF$
1.63	96	8	$E_{\boxed{0}} = \dots$
1.67	100	20	$ \vec{E}_0 = \dots = \boxed{k_0} \frac{q}{r^2}$
1.67	101	4	$ \vec{E} = \dots = \boxed{k_0} \frac{q}{\epsilon_r r^2}$
1.67	101	15	$ \vec{E}_0 = \frac{\boxed{k_0} q}{r^2}, \quad \vec{D}_0 = \epsilon_0 \frac{\boxed{k_0} q}{r^2}, \quad \vec{P} = 0$
2.4	107	15	$P = \dots = j^2 \rho \times (S \boxed{L}) = \dots$
2.5	108	6	$(\rho_{acc} = 2.0 \times 10^{-7} \Omega m, \quad \rho_{cu} = 1.77 \times 10^{-8} \Omega m)$

2.5	108	ultima	$\frac{I_{Cu}}{I} = \frac{R_{acc}}{R_{Cu} + R_{acc}} = \frac{0.637}{0.637 + 0.141} \approx 0.82$
2.10	113	20	$I_2 = 0.757 A$
2.13	117	1	“... di resistenza interna trascurabile ...”
2.17	122	2,3	“... collegati tra loro come in figura e tale combinazione ...”
2.18	125	20,21	$P = (5.726 + 1.275) + 6.833 = 13.834 W$ $P = 13.83 W$
2.20	127	6	“... alla massima d.d.p V_{max} che ...”
2.21	129	3	$20I_{II} + 30I_3 = -10$
2.31	143	2	“... posti in parallelo tra D ed E saranno ...”
2.38	152	23	$W_E = ... = \frac{1}{2} \times \frac{2\pi\epsilon_0\epsilon_r L}{\ln(r_2/r_1)} \times \left[\frac{\alpha V_0(r_2 - r_1)}{2\pi L R_0 r_1 r_2 + \alpha(r_2 - r_1)} \right]^2$
2.40	154	15	$V' = Q_0 / [C'_{tot}] = 144 V$
2.47	163	18,19	$T = ... = (R_A + 2R_B) [C] \times \ln 2$ $T = (R_A + 2R_B) [C] \times \ln 2$
3.1	166	1	“... di raggio $R = a$ e con i loro assi distanti d ...”
3.1	166, 167		sostituire D con d dove necessario
3.6	173	15	$B_0(P_2) = \frac{\mu_0 I}{\pi r} - \frac{\mu_0 I r}{2\pi(r^2 + a^2/4)}$
3.12	180	10	$2\pi r B(r) = \mu_0 I \frac{r^{[2]}}{R^2}$
3.14	182	19	$I = ... = 4\pi(b-a)$
3.14	183	8	$2\pi r_{II} B(r_1) = ...$
3.19	189	10	$= \int_0^\theta B [r] d\theta = B [r] \theta$
3.19	189	13, 14	$I_{conc} = jS = \frac{I}{\pi [a^2]} \times \frac{[a]}{2} \times [a] \theta = \frac{I\theta}{2\pi} = 3.5 \times \frac{\pi/4}{2\pi} A$
3.30	202	9	$3\pi \times 10^{-6} [T]$
3.32	204	20	$[5.84] \times 10^{-4} T$
3.32	205	3	$\varphi_1 = -\arctan \frac{L-X}{[R]} = ...$
3.33	206	20, 22	$B(P_2) = \frac{\mu_0 i}{[2] d} [...]$
3.34	207	16	“... si ottiene $\varphi_1 = -\varphi_2$ e si ha ...”
3.36	209	21	$R_d = ... = \frac{2}{eB} \sqrt{m_p} K$
3.39	213	14	$v = ... = \sqrt{\frac{10^{-20} \times 10^{-2}}{[1.67] \times 10^{-27}}} = [10^2] \sqrt{6} = [2.45 \times 10^2] m/s$
3.39	213	16, 17	$\mu = \frac{1.6 \times 10^{-19} \times [2.45 \times 10^2] \times 10^{-2}}{2} \cong 2 \times 10^{[-19]} Am^2$ $\mu \cong 2 \times 10^{[-19]} Am^2$
3.41	215	ultima	$\vec{F} = [e] \vec{v} \times \vec{B}_0 = 0$
3.42	216	2	$\vec{B} = 0.25\hat{i} + 0.4\hat{j} + 0.5\hat{k} [T]$
3.43	217	17	$K_f = 20.6 MeV = 2N [q] V$
3.43	217	18, 19	$N = \frac{K_f}{2[q]V} = \frac{20.6 \times 10^6 [eV]}{2 \times 500 eV} = [2.06] \times 10^4$ $N = [2.06] \times 10^4$ rivoluzioni
3.44	218	3	$[E] = 1000 V / m$
3.50	226	6, 7	$\Delta t = ... = [39.25] \times 10^{-6} s$ $\Delta t = [39.25] \mu s$
3.52	228	4	“... di $[24 \mu V]$. Determinare ...”
3.54	231	16	$\tan \alpha_2 = ... = [0.617]$
3.55	232	3	“... magnetizzazione $[M = 1.8 \times 10^6 Asp/m]$.”
3.55	232	7	$H = \frac{B}{\mu_0} - M = \frac{2.30}{4\pi \times 10^{-7}} - 1.8 \times 10^6 \approx 30 \times 10^3 Asp/m$
3.56	233	13	$\vec{M} = \frac{[\vec{\mu}]}{V} = ...$
3.57	234	20	$\Phi(\vec{B}) = NI \times \left[\sum \Re_i \right] = 10^2 \times 10^{-1} \times \left(\frac{1}{0.375 \times 10^6 + 4 \times 10^6} \right) = [2.29 \times 10^{-6}] wb$
4.1	240	15, 16	$W = ... = \int_0^2 \frac{[17.64] t^4 - 13.44 t^3 + 2.56 t^2}{1.5} dt = [11.76] \int_0^2 t^4 dt - ...$

4.1	240	17	$W = \boxed{11.76} \times \frac{32}{5} \boxed{-8.96} \times \frac{16}{4} + 1.71 \times \frac{8}{3} = \boxed{44.2} J$
4.3	242	3	“... di raggio $\boxed{R = 5 \text{ cm}}$.”
4.3	242	16	$E = \dots = 0.18 \times \boxed{10^{-2}} V / m = \dots$
4.4	244	7	$i_1 = \boxed{37.2} \text{ mA}; \quad i_2 = \boxed{184.6} \text{ mA}; \quad i_3 = \boxed{147.4} \text{ mA}$
4.4	244	13, 14	$\Delta V(R_2) = \dots = \boxed{0.738} - 0.598 = \boxed{0.140} V$
4.7	247	22	$I_{\max} = -\frac{2B}{R} v_y \tan 30^\circ L \boxed{\cos 30^\circ} = \dots$
4.8	248	1	“... di superficie $480 \boxed{\text{cm}^2}$...”
4.10	250	24	$V_{\boxed{D}} - V_{\boxed{A}} = \dots$
4.12	252	ultima	$\tau_{\max} = I_{\max} S \boxed{B} N = \dots$
4.13	254	ultima	$i(t) = \dots = \frac{\boxed{0.96}}{t^3} \times 10^{\boxed{-6}} A$
4.14	255	1	“... filo di rame ($\rho_{\text{Cu}} \approx 1.8 \times 10^{-8} \Omega \text{m}$)...”
4.19	260	19	$B = \mu_0 \boxed{I(t)} / 2\pi r$
4.20	261	18	$B_i = \frac{\mu_0 I_i}{2 \boxed{R_i}} = \dots$
4.21	262	22	$\dots = -\frac{\pi \mu_0 \boxed{r_0^2} n}{2R} \frac{dI}{dt} = \dots$
4.22	263	9	$B(t) = \frac{\mu_0}{2\pi} \frac{\boxed{I_0}}{r} \sin \omega t$
4.22	263	19	$\dots = N \frac{\mu_0}{2\pi} I_0 l \ln \left(\frac{d+l}{\boxed{d}} \right) \sin \omega t$
4.22	263	20	$E_i = -\frac{\partial \Phi(\vec{B})}{\partial t} = -N \frac{\mu_0}{2\pi} I_0 l \ln \left(\frac{d+l}{\boxed{d}} \right) \omega \cos \omega t$
4.22	263	21	$E_i = -10 \times 4\pi \times 10^{-7} \times \boxed{1 \times \ln 5 \times 50} \times \cos \omega t = -\boxed{1.01 \times 10^{-3}} \cos \omega t [V]$
4.22	263	24	$\wp = \dots \approx \frac{\boxed{1.02} \times 10^{-6}}{2 \times \sqrt{4 + 10^5 \times 10^{-4}}} \approx 1.37 \times 10^{\boxed{-7}} W$
4.23	264	20	$A_d = \dots = \frac{4\pi \boxed{2} \times 10^{-7} \times 10^{-6} \times (0.5)^3 \times 3 \times 10^{-9}}{2 \times [10^{-4} + (0.5)^2]} = \dots$
4.23	265	6	$\tau = L / R = 10^{-6} \boxed{H} / 0.9 \Omega = 1.1 \times 10^{-6} s$
4.24	266	2	“... di raggio $\boxed{r = 0.4 \text{ cm} \ll R}$...”
4.25	267	figura 2	modificare come qui indicato
4.26	268	ultima	$Q = \dots = \frac{0.44 \times 10^{-7}}{2} \int_0^\infty e^{\boxed{-}t/\tau} dt = \dots$
4.27	269	16	$\Phi(B) = \int_{d_0}^{d_0+L} \dots = \frac{\mu_0}{2\pi} L I_0 \ln \left(1 + \frac{\boxed{L}}{d_0} \right) \cos \omega t$
4.27	269	17	$\frac{\mu_0}{2\pi} L I_0 \omega \ln \left(1 + \frac{\boxed{L}}{d_0} \right) \sin \omega t$
4.28	270	3	“... Se ogni spira della bobina presenta una resistenza $\boxed{R_{sp} = 0.5 \Omega}$, calcolare...”
4.28	270	14	$\dots = 3.14 \times 10^{\boxed{-3}} \times I_i$
4.28	270	16	$I_i = E_i / \boxed{NR_{sp}} = -\frac{1}{\boxed{NR_{sp}}} \frac{\Delta \Phi}{\Delta t} = \frac{1}{\boxed{NR_{sp}}} \boxed{N} \pi r^2 \frac{\Delta B_0}{\Delta t} = \frac{1}{R_{sp}} \pi r^2 \mu_0 n \frac{\Delta I_s}{\Delta t}$
4.28	270	17	$I_i = \frac{\boxed{\pi} \times 10^{-4} \times 4\pi \times 10^{\boxed{-7}} \times 2000 \times (60 - 20) \times 10^{-3}}{\boxed{0.5} \times 2 \times 10^{-5}} \approx 3.2 \times 10^{-3} A$
4.28	270	19	$B_i = \pi \times 10^{\boxed{-3}} \times 3.2 \times 10^{-3} = \dots$
4.30	272	16	$RQ = \mu_0 I_{s(\text{in})} N_b S_b N_s / L$
4.31	273	3	“... $I(t) = I_0 \sin \omega t$...”
4.31	273	18	$2\pi r E = \dots = -\pi r^2 \boxed{\mu_0 n} I_0 \omega \cos \omega t$
4.31	273	ultima	$I(t) = \frac{\mu_0 n I_0 \omega h \sigma \boxed{\cos \omega t}}{2} \int_0^a r dr$
4.35	277	2, 3	“... di raggio medio \boxed{b} , formato da N spire circolari di raggio $\boxed{a \ll b}$.”
4.37	279	1	“Attorno ad un nucleo di titanio ($\mu_r \approx 1$) di sezione ...”
4.37	279	8	“... nucleo di titanio vale:”
4.40	283	18	$I = I_0 - I_i = \frac{V}{R} - \frac{BL}{R} \frac{dy}{dt}$



Cap. 4 – Prob. 25

4.41	284	figura
4.42	285	3
4.42	285	ultima
4.43	287	1
4.44	288	13
4.44	288	ultima
4.44	289	1
4.46	291	8
4.46	291	18
4.47	292	18
4.48	293	21
4.49	294	15, 19-22
4.49	295	2
4.54	300	ultima
4.59	305	15
4.60	306	13
4.62	308	2
4.62	308	20
5.3	316	18
5.4	317	2
5.5	318	14
5.6	319	13
5.6	319	17
5.7	320	1
5.10	323	15
5.11	324	14
5.11	324	18
5.12	325	13
5.13	327	9
5.14	328	20
5.14	328	24
5.14	329	1
5.14	329	2
5.14	329	3
5.15	330	6
5.17	332	13
5.19	334	ultima

modificare come qui indicato

“... di massa $\boxed{m} = 40 \text{ g}$.”

$$v = \frac{mg \boxed{R} \tan \theta}{B^2 L^2 \cos \theta} = \dots$$

$$ma = T - F_m = Mg - Ma - \frac{B^2 L^2}{R} v \rightarrow (M + m) \frac{dv}{dt} = Mg - \frac{B^2 L^2}{R} v$$

$$W_G = \dots = \frac{V^2}{R} \int_0^2 \left[1 - \exp\left(-\frac{R}{L} t\right) \right] \boxed{dt}$$

$$W_J = \dots = \frac{V^2}{R} \int_0^2 (\boxed{1} + e^{-2t/\tau} - 2e^{-t/\tau}) dt$$

$$W_J = \frac{V^2}{R} \left\{ \left[\boxed{t} \right]_0^2 - \dots \right\}$$

$$V \boxed{L} \frac{dI}{dt} = RI$$

$$\dots = 10^3 \left\{ \left[\boxed{t} \right]_0^{0.1} + 0.2 \left[e^{-5t} \right]_0^{0.1} \right\}$$

$$W_J = \dots = \frac{I_0^2 L}{2} \left[\boxed{e^{-\frac{2Rt}{L}}} \right]_0^{0.2} = \dots$$

$$R_{tot} = R_1 + \frac{\boxed{R_3} R_2}{\boxed{R_3} + R_2} = \dots$$

sostituire $L \frac{dI_1}{dt}$ con $L \frac{d\boxed{I_L}}{dt}$

sostituire $L \frac{dI_1}{dt}$ con $L \frac{d\boxed{I_L}}{dt}$

$$j_d = -\frac{26.52 \times 10^{\boxed{-2}}}{(5 + 3t)^2} A / m^2$$

$$I_d = C \frac{\partial V(t)}{\partial t} = CV_{\max} \omega \boxed{\cos \omega t}$$

$$I_d = \dots = \boxed{2} C \frac{d(1 - e^{-t/4})}{dt} = \dots$$

“... di costante dielettrica $\boxed{\epsilon}$ e conducibilità ...”

$$I_c(t) = dQ(t) / dt = \boxed{-} \frac{\sigma}{\epsilon} Q(t)$$

$$\rightarrow f = \frac{1}{2\pi} \times \frac{1}{\sqrt{LC}} = 0.159 \times \boxed{1.26} \times 10^7 = 2 \text{ MHz}$$

“... a una frequenza $\boxed{f=f_0}$, le sue ...”

$$k_{1,2} = \left[\frac{-R \pm \sqrt{R^2 - 4L/C}}{\boxed{2L}} \right]$$

$$k_{1,2} = -\frac{R}{2L} \pm \frac{i}{\boxed{2L}} \sqrt{\frac{4L}{C} - R^2}$$

$$\omega = \sqrt{\frac{1}{LC} - \frac{R^2}{4\boxed{L^2}}} = \dots$$

“... calcolare il $\boxed{\text{valore di } C}$ per cui ...”

$$V_R = I R \quad \text{e} \quad V_L = I \omega L$$

$$P = \dots = \boxed{22.5} \text{ W}$$

$$C = \dots \approx \boxed{3.14} \mu F$$

$$\rightarrow \omega^2 \approx 10^5 \text{ s}^{\boxed{-2}}$$

“...poiché è $\boxed{V_{eff}/I_{eff} > V/I}$, impedenza ...”

$$E_0 = V_0 / d = \boxed{14.10} \text{ V / m}$$

$$I_{d,eff} = \dots = \boxed{V_{eff} C \omega} = \dots$$

$$I_{\boxed{R}}(t) = \frac{V_0}{R} \sin \omega t$$

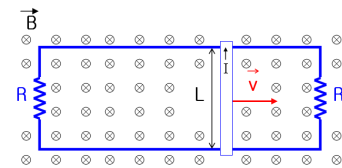
$$I_{\boxed{R,eff}} = \frac{V_{eff}}{R} = \dots$$

$$I_{\boxed{R,eff}} = 40 \text{ mA}$$

“... lo sfasamento $\boxed{\varphi}$...”

$$\frac{1}{Z} = \dots = 3.3 \times \boxed{10^{-2}} \Omega^{-1}$$

$$Z_{tot} = Z_{\boxed{p}} + j\omega L = \dots$$



Cap. 4 – Prob. 41

5.20 337 7
5.20 337 17
5.21 340 16
5.21 340 21
5.21 340 23
5.21 340 ultima
5.22 341 7
5.24 344 9
5.26 347 10
5.26 348 4
5.27 350 5
5.27 351 5
6.2 357 12
6.3 358 17
6.3 358 18
6.3 358 20
6.3 358 21
6.4 359 16
6.6 362 3
6.7 363 figura
6.8 364 2
6.8 365 2
6.8 365 7
6.10 367 figura
6.13 371 9
6.14 373 3
6.15 374 18
6.18 377 13
6.20 379 3, 4
6.20 379 22
6.23 382 20
6.25 384 3
6.25 384 18
6.25 384 19
6.26 385 6
6.26 386 1
6.27 387 6

$$V^2 = V_{RC}^2 + V_L^2 - 2V_{RC}V_L \cos \alpha$$

$$I_{tot,eff} = \dots = \frac{100}{1437} = \dots$$

$$|V|\omega C = \frac{|V|}{Z_{RL}} \sin \phi$$

$$I_{\min} = I_{RL} \cos \phi = \frac{|V|}{Z_{RL}} \cos \phi = \dots$$

“... si poteva ottenere applicando il teorema di Carnot alla Fig. 3:”

$$I_{\min} = \frac{|V|}{Z_{\max,tot}} = |V| \sqrt{\frac{1}{Z_{RL}^2} + \frac{1}{Z_C^2} - \frac{2}{Z_{RL}Z_C} \cos\left(\frac{\pi}{2} - \phi\right)} \approx 0.18 \text{ A}$$

$$I = I_R = I_{LC} = I_L - I_C$$

$$\vec{Z}_{usc} = j\omega \frac{L_2}{1 - \omega^2 L_2 C}$$

$$\frac{1}{Z_{tot}} = \sqrt{\frac{1}{Z_1^2} + \frac{1}{Z_2^2} + \frac{2}{Z_1 Z_2} \cos(\phi_1 - \phi_2)}$$

$$Z_2 = \dots = \left[L\omega - \frac{1}{\omega C_2} \right] \approx \left[3 \times 314 - \frac{10^6}{314} \right] \approx 2200 \Omega$$

“... rispettivamente $\phi_1 = 60^\circ$ e $\phi_2 = 30^\circ$.”

$$I_{tot} = |V| \sqrt{\frac{1}{Z_1^2} + \frac{1}{Z_2^2} + \frac{2}{Z_1 Z_2} \cos(\phi_1 - \phi_2)} = \dots$$

$$\frac{\partial E_y}{\partial x} = -\frac{\partial B_z}{\partial t} = \dots$$

$$1 = E_0 \sin \left[6.28 \times 10^6 \times \left(10^{-4} - \frac{3.8 \times 10^3}{10^8} \right) \right] = \dots$$

$$E_0 = \dots = 6.38 \text{ V/m} \rightarrow B_0 = \frac{E_0}{v} = 6.38 \times 10^{-8} \text{ T}$$

$$\vec{E} = 6.38 \sin 2\pi \left(\frac{t}{T} - \frac{z}{\lambda} \right) \hat{j} = 6.38 \sin 2\pi (10^6 t - 10^{-2} z) \text{ V/m } \hat{j}$$

$$\vec{B} = 6.38 \times 10^{-8} \sin 2\pi (10^6 t - 10^{-2} z) T \hat{i}$$

$$\mu_r = \dots = 1.0016$$

$$E = \dots = \frac{RI}{L}$$

modificare come qui indicato

$$\vec{S} = - \left\{ \left(440 \frac{\text{W}}{\text{m}^2} \right) \cos^2[\dots] \right\} \hat{k}$$

“... nostra onda è pari a $\frac{1}{2} \times 440 \text{ W/m}^2$, ...”

$$\vec{S} = \frac{\vec{E} \times \vec{B}}{\mu_0}$$

modificare come qui indicato

$$\text{quindi } |S| = \pi R^2 = \dots$$

“... è la forza esercitata sulla superficie:”

$$F = \frac{2|S_m|}{c} A = \dots$$

$$F = ma = \frac{P}{c} = \dots$$

“... da una sorgente emettitrice. L'ampiezza ...”

“... moltiplicata per l'area della calotta:”

“... quindi che il granello abbia un raggio:”

“... onda e.m. è $P = 3.96 \times 10^{26} \text{ W}$...”

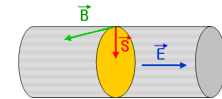
$$G \frac{M_s \times \frac{4}{3} \pi r^3 \rho}{D^2} = \frac{P}{4\pi D^2} \times \frac{1}{c} \times \pi r^2$$

$$G \frac{M_s \times 4r\rho}{3} = \frac{P}{4\pi c} \rightarrow r = \frac{3P}{16\pi c G M_s \rho}$$

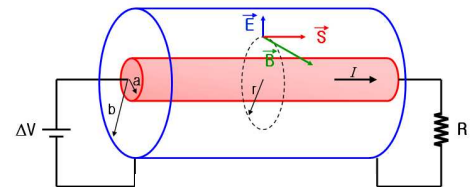
$$M_{\text{granello}} = 6.37 \times 10^{18} \text{ kg}$$

$$F_g = 6.77 \times 10^{-11} \times \frac{1.97 \times 10^{30} \times \frac{4}{3} \pi \times (6.37)^3 \times 10^{18} \times 5.5 \times 10^3}{(1.5)^2 \times 10^{22}} = \dots$$

“... esso è costituito è 0.2 g/cm^3 .”



Cap. 6 – Prob. 7



Cap. 6 – Prob. 10

6.27	387	13, 14	$B_{eff} = \dots = \boxed{4.08} \times 10^{\boxed{-4}} T$
6.27	387	19	$h = \dots = \frac{2}{c \rho g} \frac{E_{eff}^2}{Z_0} = \frac{2}{3 \times 10^8 \times 0.2 \times 10^3 \times 9.8} \times \frac{(122.5 \times 10^3)^2}{377} = \dots$
6.28	388	17	$\Im(d) = \frac{\boxed{42.3}}{754} = \dots$
6.29	389	18	$\Im = \dots = \frac{1}{100} \frac{0.12 \times 0.5 \times 30}{\boxed{1}} = \dots$
6.30	390	9	$W_{ass} = \dots = 10^2 \times 10^{-4} \times 1 = \boxed{10^{-2}} J$
6.30	390	15, 16	$v_{fin} = \dots = \frac{\boxed{10^{-2}}}{5 \times 10^{-3} \times 3 \times 10^8} = \boxed{0.67} \times 10^{-8} m/s \quad v_{fin} = 0.67 \times 10^{-8} m/s$
6.33	394	8	$\Im = \frac{\boxed{P}}{S} = \frac{50 \times 0.1}{4\pi \boxed{L}^2} = \dots$
6.33	394	18	$\Delta N(10s) = \dots = 10 \times 1.25 \times 10^{\boxed{-12}} \times \frac{5.5 \times 10^{-7}}{6.63 \times 10^{-34} \times 3 \times 10^8} = \dots$
6.34	395	19	$N/s = \frac{\boxed{P_{ass}}}{hf} = \frac{\boxed{P_{ass}}}{hc/\lambda} = \dots$
7.1	398	16	$\lambda_2 = \dots = 530 \times 10^{-9} + 1.56 \times 10^{-2} \times \frac{5 \times 10^{\boxed{-5}}}{3 \times 2} = \dots$
7.4	401	20	$\frac{N_2}{N_1} = \frac{\boxed{\lambda}}{\lambda_2} \rightarrow \lambda_2 = \frac{N_1}{N_2} \boxed{\lambda} = \dots$
7.4	401	21	$N_{H_2O} = N_1 \frac{\boxed{\lambda}}{\boxed{\lambda_3}}$ ed essendo $\boxed{\lambda_3} = \frac{\boxed{\lambda}}{n_a}$
7.6	404	8	$\dots = 4.26 \times 10^{-3} \boxed{m}$
7.6	404	16	$\cos \left(\frac{\pi \times 1.6 \times 10^{-4}}{1.24 \times 5.5 \times 10^{-7}} \Delta x \right) = \dots$
7.6	404	17	$\rightarrow \Delta x = \frac{1}{6 \times 235} = 0.7 \boxed{mm}$
7.7	405	8	$I \propto \boxed{2E_0^2(1 + \cos \Delta \varphi)} = \boxed{4E_0^2 \cos^2 \frac{\Delta \varphi}{2}}$
7.8	406	14	$I = I_0 \cos^2 \left(\frac{\pi \boxed{d}}{\lambda} \sin \theta \right) = \dots$
7.9	407	12	“... dovrà essere $\boxed{\Delta = \lambda}$, dove Δ è la differenza di cammino <u>ottico</u> .”
7.9	407	13	$\Delta = \boxed{n_1} \overline{OBC} - \overline{OA} = \frac{2s \boxed{n_1}}{\cos r} - \overline{OC} \sin i = \frac{2s \boxed{n_1}}{\cos r} - 2s \tan r \sin i$
7.9	407	18	$\Delta = \frac{2sn_1}{\cos r} - \frac{2s \sin r}{\cos r} \times n_1 \sin r = \frac{2sn_1}{\cos r} [1 - \sin^2 r] = \lambda$
7.9	407	ultima	$s = \frac{\lambda}{2n_1 \times \cos r} = \frac{5500 \times 10^{-10}}{2 \times 1.33 \times 0.927} = \boxed{2.23} \times 10^{-7} m$
7.10	408	13	“... cammino <u>ottico</u> fra i due raggi sarà $\Delta = \boxed{n_1} \overline{OBC} - \overline{OA}$.”
7.10	409	9	“Il rapporto $\boxed{\Delta/\lambda = 1.0}$ indica che l'interferenza è <u>distruttiva</u> .”
7.13	412	21	$\lambda_i = \dots = \frac{1.4}{m_i + 1/2} \boxed{\mu m}$
7.15	414	2	“... diaframma di <u>larghezza</u> $D = 1 \text{ cm}$...”
7.18	417	19, 20	$a = \frac{4\lambda L}{\boxed{\Delta s}} = \frac{4 \times 0.4 \times 5.87 \times 10^{-7}}{0.5 \times 10^{-3}} = 1.88 \times 10^{-3} m$
7.19	418	2	“... è largo $\boxed{2a} = 12 \text{ cm}$...”
7.25	425	18	$\Delta x_{int} \approx \boxed{L} \theta = 2 \times 250 \times 10^{-5} = 5 \times 10^{-3} m$
7.26	426	10, 11	$\theta_{\min} \cong \boxed{m_D} \frac{\lambda}{a} = \boxed{m_D} \frac{540 \times 10^{-9}}{6 \times 10^{-5}} = \boxed{m_D} \times 0.9 \times 10^{-2} \text{ rad}; \quad \boxed{m_D} = 1, 2, 3 \dots$
7.26	426	16	$\theta_{\max} \cong \boxed{m_i} \frac{\lambda}{d}, \quad \text{con} \quad \boxed{m_i} = 0, 1, 2 \dots$
7.26	426	22	“quindi, <u>essendo ogni massimo di interferenza largo λ/d</u> , otteniamo:”
7.26	426	figura	sostituire x con y
7.31	432	14	$\sin \theta = 3 \times \frac{5690 \times 10^{\boxed{-10}}}{(1/3) \times 10^{-5}} = 0.512$
7.32	433	4	“... cristallo è $\boxed{\theta} = 80^\circ 24'$.”
7.32	433	11	$\theta = 90^\circ - \boxed{\theta} = 9^\circ 36'$

7.33	434	19
7.35	436	figure
8.4	443	2
8.4	443	13
8.4	443	14
8.9	448	figura
8.14	453	10
8.17	457	figura
8.18	460	3
8.20	463	5
8.20	463	17-20
8.30	474	13
8.30	474	16
8.32	476	10
8.32	476	14
8.32	476	15
8.32	476	17
8.32	476	18
8.33	477	figura
8.36	480	figura
9.1	482	18
9.1	482	19
9.2	483	17
9.3	484	15-22
9.4	485	14
9.7	489	20
9.11	494	ultima
9.13	496	13
9.13	497	10
9.16	500	11
9.16	500	12
9.16	501	1
9.16	501	3
9.16	501	5, 6
9.16	501	12
9.16	501	13, 14
9.19	504	16
9.20	505	10
9.24	510	16, 17
9.27	513	18

$$d = \dots = \frac{3 \times \boxed{0.967} \times 10^{-10}}{2 \times 0.848} = 1.71 \times 10^{-10} \boxed{m}$$

modificare come qui indicato

“... con $dn/d\lambda = -4 \times \boxed{10^3} m^{-1}$...”

$$n_1 = 1.52 - 4 \times 10^3 \times \boxed{(400-550)} \times 10^{-9} = 1.58$$

$$n_2 = 1.52 - 4 \times 10^3 \times \boxed{(700-550)} \times 10^{-9} = 1.46$$

modificare come qui indicato

“... abbiamo $R_1 = \infty$ e $\boxed{R_2 = -R}$.”

modificare come qui indicato

$$\boxed{\frac{1}{p} + \frac{1}{q}} = 1/f_2$$

$$\frac{1}{p} - \frac{1}{12.5 \boxed{+} p} = \frac{1}{2.44} cm^{-1}$$

“... constatiamo che, nel caso **a**), $|M| < 1$ (imm. rimpicciolata) per p_1 , mentre invece $|M| > 1$ per p_2 . Quest'ultima situazione descrive il funzionamento dell'obiettivo del microscopio. Nel caso **b**), q_1 in valore assoluto è maggiore di p_1 , quindi $|M| > 1$. Quest'ultima situazione descrive il funzionamento dell'oculare del microscopio.”

$$1/q = 0.1 - 0.05 = 0.05 \boxed{cm^{-1}}$$

$$\int_{n_0}^{n_1} dn = -5 \times 10^3 \int_{\lambda_0}^{\lambda_1} d\lambda$$

$$\frac{1}{f} = \frac{1}{f_1} + \frac{1}{f_2} \boxed{-} \frac{d}{f_1 f_2}$$

$$\frac{1}{f_1} + \frac{1}{|f_2|} \left(\frac{d}{f_1} - 1 \right) > 0 \Rightarrow \frac{1}{f_1} > \frac{f_1 - d}{f_1 |f_2|} \Rightarrow \frac{f_1 - d}{|f_2|} < 1$$

$$|f_2| > \boxed{f_1 - d} \Rightarrow |f_2| > \boxed{0.25} m$$

$$\frac{1}{f_1} + \frac{1}{|f_2|} \left(\frac{d}{f_1} - 1 \right) < 0 \Rightarrow \frac{1}{f_1} < \frac{f_1 - d}{f_1 |f_2|} \Rightarrow \frac{f_1 - d}{|f_2|} > 1$$

$$|f_2| < \boxed{f_1 - d} \Rightarrow |f_2| < \boxed{0.25} m$$

modificare come qui indicato

modificare come qui indicato

$$f_s = \frac{hf_i - eV_{\boxed{a}}}{h} = \frac{(10.5 - \boxed{4 \times 1.6}) \times 10^{-19}}{6.625 \times 10^{-34}} = \boxed{0.63} \times 10^{15} Hz$$

$$f_s = \boxed{6.3} \times 10^{14} Hz$$

$$0.81 eV \ll 0.51 \boxed{MeV}$$

sostituire $\boxed{V_d}$ con $\boxed{V_a}$

$$\left(\frac{mv^2}{2} \right)_{\max} = \frac{6.63 \times 10^{-34} \times 3 \times 10^8}{2 \times 10^{\boxed{-7}}} - (4.2 \times 1.6 \times 10^{-19}) = \dots$$

$$hf_0 = \frac{hc}{\lambda_0} = 3.15 \times 10^{-19} \boxed{J}$$

$$\varphi = \boxed{22.88^\circ}$$

$$\lambda_i = 8060 \boxed{fm}$$

$$v_e = \dots = \sqrt{\frac{2 \times 9 \times 1.6 \times 10^{\boxed{-16}}}{9.1 \times 10^{-31}}} = \dots$$

$$\frac{1}{\lambda_i} = \dots = \boxed{1.014} \times 10^{12} m^{-1}$$

$$\lambda_i = \boxed{0.986} \times 10^{-12} m$$

$$\lambda_d = \dots = \boxed{1.018} \times 10^{-12} m$$

$$\Delta\lambda = \dots = \boxed{0.032} \times 10^{-12} m$$

$$\cos \theta = \dots = \boxed{0.9868} \quad \theta = \boxed{9.3^\circ}$$

$$v_e = \dots = \boxed{1.186} \times 10^8 m/s$$

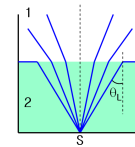
$$\sin \varphi = \frac{h \sin \theta}{\boxed{\lambda_d} m_e v_e} = \boxed{0.974} \quad \varphi \cong \boxed{77^\circ}$$

$$\lambda_{\max} = \frac{\boxed{6.625} \times 10^{\boxed{-34}} \times 3 \times 10^8}{54.4 \times 1.6 \times 10^{-19}} = 2.28 \times 10^{-8} m$$

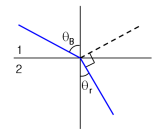
$$W_n = -\boxed{k_0^2} \frac{2\pi^2}{h^2} Z^2 e^4 m_e \frac{1}{n^2}$$

$$v_{\max} = \dots = \boxed{7.95} \times 10^5 m/s$$

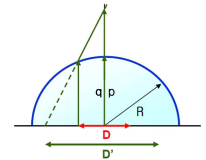
$$\boxed{W_\gamma} = \frac{hc}{\lambda_\gamma} \rightarrow \lambda_\gamma = \frac{hc}{\boxed{W_\gamma}}$$



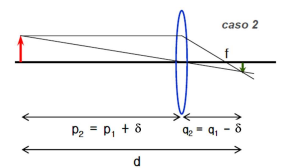
Cap. 7 – Prob. 35 (fig. 1)



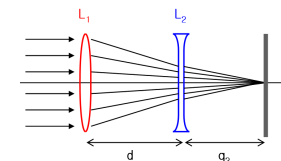
Cap. 7 – Prob. 35 (fig. 2)



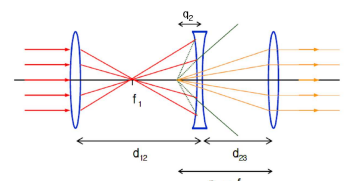
Cap. 8 – Prob. 9



Cap. 8 – Prob. 17



Cap. 8 – Prob. 33



Cap. 8 – Prob. 36